Numerical Analysis of Two-Arm Spiral Antennas Printed on a Finite-Size Dielectric Substrate

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Abstract—A two-arm spiral antenna (SA) printed on a dielectric substrate backed by a conducting plane is analyzed under the condition that the dielectric substrate has a finite side length of L . The analysis is performed using the finite-difference time-domain (FDTD) method. The computation space for the FDTD method is reduced to one-half of the full computation space by virtue of the antenna arm symmetry with respect to the feed point. The numerical evaluations for the radiation characteristics are briefly described, and the SA_∞ (the spiral antenna with a conducting plane of infinite extent) is analyzed. It is found that the input impedance remains constant with side length $L \geq 0.8$ wavelength in this analysis model. It is also found that as L increases, the axial ratio improves with the gain remaining relatively constant (the gain variation is within 1 dB). The SA_{finite} (the spiral with a conducting plane having the same finite size as the dielectric substrate) is also analyzed. It is revealed that the effects of L on the axial ratio and gain are relatively large compared with those on the former SA_∞ .

Index Terms—Finite-difference time-domain (FDTD) method analysis, finite-size dielectric material, spiral antenna.

I. INTRODUCTION

SPIRAL antennas have been analyzed under the condition that the spirals are located in free space or are printed on a dielectric substrate [1]–[9]. The analysis for the printed spirals has been performed with the assumption that the dielectric substrate, backed by a conducting plane, is of infinite extent [2], [5], [9]. Since, in reality, the size of the dielectric substrate is finite, the effects of the finite size on the radiation characteristics need to be investigated.

This paper is a sequel to a previous paper on a two-arm spiral antenna (SA) for circularly polarized wave radiation [10]. The purpose of this paper is to reveal the effects of a finite-size dielectric substrate on the spiral antenna characteristics, including the current distribution, input impedance, radiation pattern, axial ratio, and gain.

First, some techniques for analysis based on the finite-difference time-domain (FDTD) method are described. Making use of the fact that the spiral arms are symmetrical with respect to the feed point, the computation space for the FDTD method is reduced to one-half of the full computation space. A calculation technique for the radiation pattern when the substrate is of infinite extent is also described.

Second, an SA with a finite-size dielectric substrate is analyzed under the condition that the conducting plane is of infinite

Fig. 1. Configuration and coordinate system. (a) Spiral antenna with a finite-size dielectric substrate backed by a conducting plane of infinite extent (SA_∞), (b) spiral antenna with a finite-size dielectric substrate backed by a finite-size conducting plane (SA_{finite}), and (c) spiral arms: the filaments with width w have lengths $S_1, S_2, \dots, S_n$.

extent. The SA under this condition, designated as SA_∞ , corresponds, for example, to a radiation element mounted on the conducting roof of an automobile. The radiation characteristics are evaluated as a function of the side length of a square dielectric substrate L . It is found that as the side length L increases, the

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Fig. 2. Computation space. (a) Full computation space $I\Delta x \times J\Delta y \times K\Delta z$ for SA_{∞} . (b) Reduced computation space $I\Delta x \times 0.5J\Delta y \times K\Delta z$ for SA_{∞} . (c) Full computation space $I\Delta x \times J\Delta y \times K\Delta z$ for SA_{finite} . (d) Reduced computation space $I\Delta x \times 0.5J\Delta y \times K\Delta z$ for SA_{finite} .

currents along the spiral arms tend toward a smoothly decaying traveling-wave and the axial ratio improves.

Third, an SA is analyzed under the condition that both the square dielectric substrate and the square conducting plane have the same finite side length L (the SA is designated as the SA_{finite}). It is revealed that the side length L for the SA_{finite} affects the radiation characteristics more than that for the SA_{∞} . The behavior in the radiation pattern, axial ratio, and gain are illustrated as a function of the side length L . Note that the frequency responses for the SA_{finite} are also described in comparison with those for the SA_{∞} .

II. CONFIGURATION

Fig. 1 shows the configuration of a two-arm printed SA on a square dielectric substrate of side length L . The dielectric substrate has thickness B and relative permittivity ϵ_r . The dielectric substrate is backed by a conducting plane. The conducting plane in Fig. 1(a) is of infinite extent, while the conducting plane in Fig. 1(b) is square and finite, having the same side length L as the dielectric substrate. These spiral antennas shown in Fig. 1(a) and (b) are designated as SA_{∞} and SA_{finite} , respectively.

The two spiral arms are symmetrically wound with respect to the feed point s_f , each arm having N filaments, as shown in Fig. 1(c). Throughout this paper, the following configuration parameters are fixed: $B = 5 \text{ mm} = 0.135\lambda_0$, $\epsilon_r = 2.33$, $N = 7$ (with filament lengths $s_1 = 40 \text{ mil} = 1.016 \text{ mm} = 0.0271\lambda_0$, $s_2 = 1.5s_1$, $s_3 = 3.5s_1$, $s_4 = 4.5s_1$, $s_5 = 6.5s_1$, $s_6 = 7.5s_1$, and $s_7 = 8s_1$), and width of spiral arm $w = 0.0108\lambda_0$, where λ_0 is the free-space wavelength at a test frequency of 8 GHz. The side length of the dielectric substrate, L , is varied in the following analysis.

III. NUMERICAL ANALYSIS

The SA is analyzed using the FDTD method [11], [12], in which Yee's algorithm [13] is adopted with Liao's second order absorbing boundary condition [14].

The SA is excited with a delta-gap voltage source, which is expressed with a sine function modulated by a Gaussian function [15]. The symmetry of the antenna arms with respect to the feed point s_f leads to the following relationships in the electric

Fig. 3. Electric fields E_x and E_z in the x - z plane (computation space boundary).

field components (E_x , E_y , E_z) and the magnetic field components (H_x , H_y , H_z):

$$E_x(x, y, z) = E_x(-x, -y, z) \quad (1a)$$

$$E_y(x, y, z) = E_y(-x, -y, z) \quad (1b)$$

$$E_z(x, y, z) = -E_z(-x, -y, z) \quad (1c)$$

$$H_x(x, y, z) = H_x(-x, -y, z) \quad (2a)$$

$$H_y(x, y, z) = H_y(-x, -y, z) \quad (2b)$$

$$H_z(x, y, z) = -H_z(-x, -y, z). \quad (2c)$$

Using these symmetry relationships, the computation space shown in Fig. 2(a) and (c) is reduced to one-half of the full computation space, shown in Fig. 2(b) and (d). That is, a computation space of $(I\Delta x, J\Delta y, K\Delta z)$ is reduced to $(I\Delta x, 0.5J\Delta y, K\Delta z)$, where Δx , Δy , and Δz are the side lengths of a grid cell in the x , y , and z directions, respectively, and I , J , and K are integers.

The $E_x(x, 0, z)$ at the computation space boundary (x - z plane) is determined by using Yee's algorithm with four magnetic fields surrounding the $E_x(x, 0, z)$ [see Fig. 3(a)]. Note

Fig. 4. Enclosing surface for far-field calculation; M_s and J_s are magnetic and electric currents on the enclosing surface, respectively. (a) SA_∞ : the conducting plane is removed using image theory. (b) SA_{finite} .

that one of the four magnetic fields, $H_z(x, -0.5\Delta y, z)$, is located beyond the computation space defined in Fig. 2(b) and (d), and can not be used for the $E_x(x, 0, z)$ calculation. However, this $H_z(x, -0.5\Delta y, z)$ is replaced with $H_z(-x, 0.5\Delta y, z)$, which is located within the computation space in Fig. 2(b) and (d), using the symmetry condition (2c)

$$H_z(x, -0.5\Delta y, z) = -H_z(-x, 0.5\Delta y, z). \quad (3)$$

Similarly, the $E_z(x, 0, z)$ at the computation space boundary is determined by using Yee's algorithm with $H_x(x, \pm 0.5\Delta y, z)$ and $H_y(x, \pm 0.5\Delta x, 0, z)$ [see Fig. 3(b)]. Using the symmetry

Fig. 5. Current distribution $I = I_r + jI_i$ of SA_∞ as a function of side length L . (a)–(d) results calculated using the FDTD method and (e) result calculated using the MoM. In (d), the FDTD method solution for $L = \infty$ agrees well with (e) the MoM solution.

Fig. 6. Input impedance $Z_{in} = R_{in} + jX_{in}$ of SA_∞ as a function of normalized side length (L/λ_0). Results calculated using MoM are also presented for $L = \infty$.

condition (2-a), $H_x(x, -0.5\Delta y, z)$, located beyond the computation space defined in Fig. 2(b) and (d), is replaced with $H_x(-x, 0.5\Delta y, z)$ located within the computation space

$$H_x(x, -0.5\Delta y, z) = H_x(-x, 0.5\Delta y, z). \quad (4)$$

The current distribution along the spiral arm $I(s')$ (s' is the distance measured along the spiral arm from the feed point s_f to

the current source point) is obtained by Fourier-transforming the time-domain current determined by integrating the time-domain magnetic field around the spiral arm (Ampere's circuital law). Using the Fourier-transformed current $I(0)$ and voltage $V(0)$ at the input terminals, the input impedance is evaluated as $Z_{in} = V(0)/I(0)$.

The far-field $\mathbf{E}_{far} = E_\theta \hat{\theta} + E_\phi \hat{\phi}$ ($\hat{\theta}$ and $\hat{\phi}$ are unit vectors for the spherical coordinates θ and ϕ , respectively) is calculated on the basis of the equivalence principle, which uses the electric current $\mathbf{J}_s = \hat{n} \times \mathbf{H}$ and magnetic current $\mathbf{M}_s = \mathbf{E} \times \hat{n}$ on the surface S that encloses the antenna (see Fig. 4) [12], where $\mathbf{H}$ and $\mathbf{E}$ are, respectively, the magnetic and electric fields on the surface S , and $\hat{n}$ is the outward unit vector normal to the surface S .

The current $I(s')$ can be obtained on the basis of the FDTD method even when the side lengths of the square dielectric and conducting plane are infinite ($L = \infty$). However, the far-field $\mathbf{E}_{far}$ for $L = \infty$ cannot be obtained from the FDTD method, because the antenna cannot be enclosed due to the infinite dielectric and conducting planes. For this case, the far-field is formulated using two Sommerfeld-type Green's functions [2], which include the effects of the arm image produced by the conducting plane of infinite extent, together with the current $I(s')$ obtained by the FDTD method. Adopting the stationary phase method (SPM) [2] simplifies the two Green's functions and leads to the far-field components ($i = \theta, \phi$)

$$E_i = -j60k_0 \frac{e^{-jk_0 R}}{R} \cos \theta F_i(\theta) \int_{-s_e}^{+s_e} [x'(s')\tau_i + y'(s')\gamma_i] I(s') e^{jk_0 \Psi(s')} ds' \quad (5)$$

where

$$F_\theta(\theta) = \frac{\xi \sin(k_0 B \xi)}{\xi \sin(k_0 B \xi) - j\epsilon_r \cos \theta \cos(k_0 B \xi)} \quad (6)$$

$$F_\phi(\theta) = \frac{\sin(k_0 B \xi)}{\cos \theta \sin(k_0 B \xi) - j\xi \cos(k_0 B \xi)} \quad (7)$$

$$\Psi(s') = x(s') \sin \theta \cos \phi + y(s') \sin \theta \sin \phi + B \cos \theta. \quad (8)$$

The notation in the previous equations is as follows: R is the distance between the spherical coordinate origin and the observation point; k_0 is the wave number in free space; $x(s')$ and $y(s')$ are the rectangular coordinates specifying the position of a point defined by s' ; $x'(s')$ and $y'(s')$ are derivatives with respect to s' ; $\xi = (\epsilon_r - \sin^2 \theta)^{1/2}$, $\tau_\theta = \cos \phi$, $\gamma_\theta = \sin \phi$, $\tau_\phi = -\sin \phi$, and $\gamma_\phi = \cos \phi$. Note that (5) is derived under the condition that the current flows along a wire whose radius ρ is small enough for the thin wire approximation to be applied. The wire radius ρ is approximated by the strip width w as $\rho = w/4$.

The spirals shown in Fig. 1 are expected to radiate a right-hand circularly polarized (RHCP) wave due to the winding sense of the spiral arm. The gain for a RHCP wave in the direction specified by the spherical coordinates (R, θ, ϕ), G_R , is expressed as

$$G_R = \frac{|E_R|^2 R^2}{30 P_{in}} \quad (9)$$

Fig. 7. Radiation patterns of SA_{∞} as a function of side length L . Right-hand circularly polarized wave component E_R —. Left-hand circularly polarized wave component E_L - - -.

where P_{in} is the power input to the antenna, i.e., $P_{in} = \text{Real}(V_e I_e^*)$, where V_e and I_e^* are the voltage and the complex conjugate of the current at the input terminals, respectively. E_R is the intensity of an RHCP wave: $E_R = (E_{\theta} + jE_{\phi})/2$.

The axial ratio is given as $AR = (|E_R| + |E_L|)/(|E_R| - |E_L|)$, where E_L is the intensity of a left-hand circularly polarized (LHCP) wave: $E_L = (E_{\theta} - jE_{\phi})/2$.

IV. NUMERICAL RESULTS AND DISCUSSIONS

It was confirmed that the FDTD computer programs developed on the basis of the theory in Section III reproduced the data shown in [16, Fig. 3]. After this validation, the following radiation characteristics of the spiral antennas printed on a finite-size dielectric substrate are obtained using the same computer programs.

A. Spiral Antenna on a Finite-Size Dielectric Substrate Backed by a Conducting Plane of Infinite Extent: SA_{∞}

The first analysis is devoted to a spiral antenna on a finite-size dielectric substrate backed by a conducting plane of infinite extent, shown in Fig. 1(a). The configuration parameters are described in Section II.

Fig. 5 shows the current distribution as a function of dielectric substrate side length L . The current distributions along the two spiral arms are symmetrical with respect to the feed point s_f , and hence half of each current distribution is shown in this figure. The phase of the current distribution reveals that as L increases, the currents along the arms tend toward a smoothly decaying traveling-wave. The current distribution for $L \geq 0.8\lambda_0$ is almost the same as that for $L = \infty$. The guide wavelength of the current for $L = \infty$ is evaluated to be approximately

$\lambda_g = 0.78\lambda_0$, which is close to a rough estimation of the guide wavelength, $\lambda_{rough} = \lambda_0/\epsilon_{eff}^{1/2} = 0.775\lambda_0$, where ϵ_{eff} is the average relative permittivity given as $\epsilon_{eff} = (1 + \epsilon_r)/2$.

For comparison, the current distribution for $L = \infty$ obtained using the method of moments (MoM) [2] is also presented in Fig. 5(e). It is seen that the results shown in Fig. 5(d) agree well with those in Fig. 5(e). The good agreement again ensures that the developed FDTD computer programs correctly work. Note that the MoM in [2] can handle only the case where the dielectric is of *infinite* extent ($L = \infty$).

Fig. 6 depicts the input impedance $Z_{in} = R_{in} + jX_{in}$ as a function of substrate side length L . No significant variations are found for $L \geq 0.8\lambda_0$. It is clear that the input impedance obtained by the FDTD method for $L = \infty$ is in good agreement with MoM analysis values, which are shown on the right side of Fig. 6.

The infinite conducting plane makes radiation unidirectional. The radiation patterns are shown in Fig. 7, where the far-field is decomposed into two wave components; right- and left-hand circularly polarized wave components. The left-hand circularly polarized wave component [$E_L = (E_\theta - jE_\phi)/2$, the cross polarization component], which degrades the axial ratio (AR) of a circular polarization antenna, is generated from the backward currents flowing toward the feed point. From the investigation of the current distributions shown in Fig. 5, it can be expected that the AR will improve as the substrate side length L increases. This is confirmed by Fig. 8.

Fig. 8 also shows the gain G_R for an RHCP wave. The variation in the gain is not large (less than 1 dB). The gain at $L = 0.8\lambda_0$ is approximately 6.8 dB. The gain for $L = \infty$ is in good agreement with that obtained using the MoM. The radiation efficiency η_{rad} for the SA_∞ with a substrate (and a conducting plane) of infinite extent is degraded due to surface wave effects. The η_{rad} , which is calculated using the MoM, is 72%. This corresponds to a loss of 1.4 dB in the gain.

Further analysis is performed to investigate the frequency response for $L = 0.8\lambda_0$. The frequency bandwidth for a 3-dB axial ratio criterion is calculated to be 18.4%. Over this bandwidth, the gain shows an almost constant value of 7 dB and the VSWR relative to a resistance value at a test frequency $f_0 = 8$ GHz (240 Ω) is less than 2, as desired.

B. Spiral Antenna on a Finite-Size Dielectric Substrate Backed by a Finite-Size Conducting Plane: SA_{finite}

The SA_{finite} shown in Fig. 1(b) has a compact structure and is suitable for practical applications. In this section, the effects of the finite side length of the square dielectric and conducting plane on the radiation characteristics are investigated using the configuration parameters described in Section II.

When the side length L is changed, the current distribution exhibits almost the same behavior as that shown in Fig. 5. That is, as L increases, the currents along the arms tend toward a smoothly decaying traveling-wave. This behavior of the current results in an input impedance characteristic similar to that shown in Fig. 6. The input impedance of the SA_{finite} , shown in Fig. 9, is almost the same as that of the SA_∞ , provided that the side length L is longer than $0.8\lambda_0$.

Fig. 8. Axial ratio AR and gain G_R of SA_∞ as a function of normalized side length (L/λ_0). Results calculated using MoM are also presented for $L = \infty$.

Fig. 9. Input impedance $Z_{in} = R_{in} + jX_{in}$ of SA_{finite} as a function of normalized side length (L/λ_0). Results calculated using MoM are also presented for $L = \infty$.

The radiation pattern of the SA_{finite} , however, is different from that of the SA_∞ . Fig. 10 shows the radiation pattern of the SA_{finite} as a function of the side length L . Due to the finite-size conducting plane, backlobes appear. Fig. 11 shows the HPBW of the main beam radiating a right-hand circularly polarized wave E_R . It is found that the HPBW becomes wider in the vicinity of $L/\lambda_0 = 1.3$. As a result, the gains in the vicinity of $L/\lambda_0 = 1.3$ are lower, as shown in Fig. 12. Note that the radiation from the SA_{finite} is circularly polarized in the vicinity of $L/\lambda_0 = 1.3$ with axial ratios of less than 3 dB.

Further analysis is performed to evaluate the frequency response for the SA_{finite} . The frequency response is obtained for a dielectric substrate side length $L = 0.8\lambda_0$, which is the same as the side length used for investigating the frequency response for the SA_∞ . The analysis reveals that the frequency bandwidth for a 3-dB axial ratio criterion is 18.3%, which is almost the same as that for the SA_∞ . Over this bandwidth, the SA_{finite} has almost the same gain (7 dB) as the SA_∞ and the VSWR relative to a resistance value of the input impedance at a test frequency $f_0 = 8$ GHz (236 Ω) is less than 2.

Fig. 10. Radiation patterns of SA_{finite} as a function of side length L . Right-hand circularly polarized wave component E_R —. Left-hand circularly polarized wave component E_L - - -.

V. CONCLUSIONS

The FDTD method has been used for analysis of printed spiral antennas. The computation space is reduced to one-half of the full computation space, making use of the symmetry of the spiral arms with respect to the feed point. The antenna characteristics are evaluated on the basis of the electric and magnetic fields obtained by the FDTD method.

The effects of a square dielectric substrate (of side length L) on the radiation characteristics have been revealed for two cases: 1) the conducting plane that backs the finite-size dielectric substrate is of infinite extent and 2) the conducting plane and dielectric substrate have the same finite-size (both are square, having

the side length L). The spiral antennas for the first and second cases are designated as the SA_{∞} and SA_{finite} , respectively.

As the side length L increases, the currents along the arms tend toward a smoothly decaying traveling-wave in both SA_{∞} and SA_{finite} . The input impedance, therefore, becomes constant at a certain value of L ($L \geq 0.8$ wavelength). The SA_{∞} radiates a unidirectional beam (without back-lobes) due to the conducting plane of infinite extent, while the SA_{finite} has back-lobes due to the finite-size conducting plane. The difference between the radiation patterns of the SA_{∞} and SA_{finite} is related to differences in the axial ratio and gain characteristics of these antennas. The variations in the gain and axial ratio of the SA_{∞} are relatively small compared with those of the SA_{finite} . Analysis has also revealed that when the SA_{∞} and the SA_{finite} have

Fig. 11. Half-power beam width (HPBW) of SA_{finite} as a function of normalized side length (L/λ_0). $\phi = 0^\circ$ plane (x - z plane) $\circ \circ \circ \circ$ $\phi = 90^\circ$ plane (y - z plane) $\bullet \bullet \bullet \bullet$.

Fig. 12. Axial ratio AR and gain G_R of SA_{finite} as a function of normalized side length (L/λ_0). Results calculated using MoM are also presented for $L = \infty$.

the same side length $L = 0.8\lambda_0$, they show almost the same frequency bandwidth (approximately 18%) for a 3-dB axial ratio criterion and have a gain of approximately 7 dB.

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